sets of numbers

- ullet counting numbers $\mathbb{N}^*=\{1,\ 2,\ 3,\ldots\}$
- whole numbers $\mathbb{N}=\{0,\ 1,\ 2,\ 3,\ldots\}$ are non-negative integers.
- ullet integers $\mathbb{Z}=\{\ldots-2,-1,0,1,2,3,\ldots\}$
- \mathbb{D} is the set of decimal numbers
- ullet R is the set of real numbers

positive number: *nombre strictement positif* non-negative number : *nombre positif ou nul*

even and odd, factors and multiples

- even numbers $2, 4, 6, \ldots$ can be divided exactly by two.
- ullet odd numbers $1,\ 3,\ 5,\ldots$ are numbers that will have a remainder of 1 when divided by 2.

 $12=4 imes 3=2^2 imes 3$ is a composite number

- 12 is a multiple of 4 and a multiple of 3.
- 2, 3, 4 and 6 are factors of 12.
- 2 and 3 are prime factors of 12.

prime numbers

a prime number has exactly two factors : 1 and itself.

- ullet 12=2 imes2 imes3 is a composite number
- $2 \times 2 \times 3$ is a prime *factorization* of 12.

prime numbers

Can you explain the color codes around each number?





is it a prime?

one digit primes
2, 3, 5 and 7

2. two digits primes
all non multiples of
2, 3, 5 and 7

3. bigger?

is it a prime?

Is 137 a prime?

- Step 1 : $\sqrt{137} \approx 11$
- Step 2 : list prime numbers less $\sqrt{137}$: 2, 3, 5, 7, 11
- Step 3 : Check if any of them is a factor of 137.

None is :
$$137=2\times 68+1$$
 , $137=3\times 45+2$, $137=7\times 19+4$ and $137=11\times 12+5$.

 $\therefore 137$ is a prime.

is it a prime?

Is 37 a prime?

- 2 digits, we check if any of 2, 3, 5, 7 is a factor.
- None is.
- \therefore 37 is a prime.

prime factorization

The fundamental theorem of arithmetic states that every composite number can be written as the product of prime factors in exactly one way (ignoring order).

prime factorization	not a prime factorization
$12=2^2 imes 3$	12=4 imes3
17	17=1 imes17
35=5 imes7	98=2 imes49

words with -ise, -ize (-isation, -ization)

words like:

- _prioritize,
- mischaracterize,
- deinustrialize,
- conceptualize,
- hypersensitized_
 Oxford english dictionary recommends using -ize which has proper latin origin (while -ise is correct, but comes from the French).